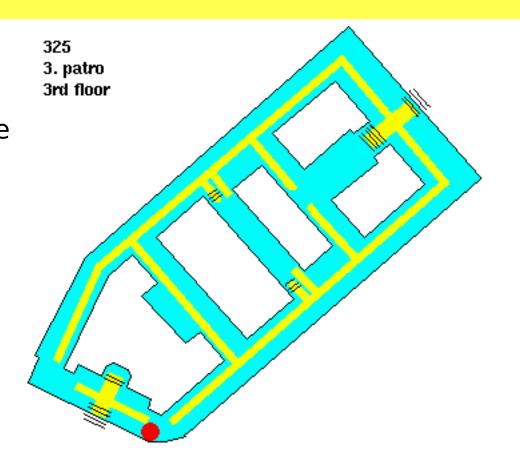
Info

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Google: Kolafa Molecular modeling and simulation Kolafa Molekulární modelování a simulace

Elements of modeling

- ? elementary particles + gravity, GUT, dark energy, . . .
- which was a standard model, atomic nuclei,...
- Nuclei + electrons + photons: QED, accurate spectroscopy
- Nuclei + electrons: Schrödinger equation small molecules, spectra, gas-phase equilibria, chemical kinetic, photochemistry . . .
- Atoms* classical (or quantum) atomistic modeling
- Coarsed-grained models: meso/nanoscopic scale element = polyatomic group (surfactant = head + tail, polymer = [bead]_{n...})
- Microscopic scale (dispersions, granular materials)
- Continuum: partial differential equations heat, weather models, neutrons in A-bomb, statics in civil engineering
- gravity: spacetime black holes, gravitational waves

multiscale modeling: QM/MM (enzymes etc.) . . .

*optionally: auxiliary interaction centers (sites), bigger groups (-CH₃)

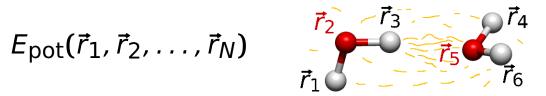
Nuclei are much heavier than electrons \Rightarrow electron motion is much faster (Born-Oppenheimer approximation) for me (show/SPCEdimer.sh):

Potential energy surface (PES):

- change cfg - click [info]

energy as a function of positions of all nuclei

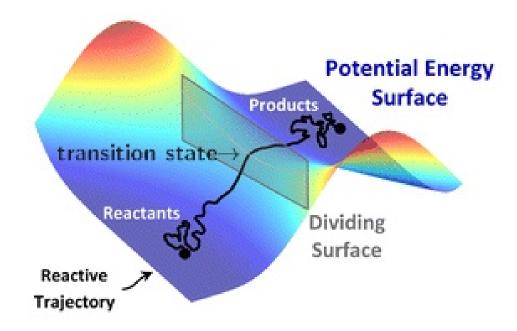
$$E_{\text{pot}}(\vec{r}_1, \vec{r}_2, \dots, \vec{r}_N)$$

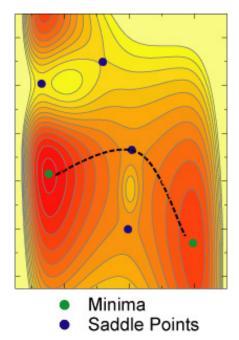


Chemical example:

reaction coordinate

A reaction proceeds over (near to) a saddle point (transition state)





How to obtain PES?

- from quantum calculations (Schrödinger equation: *ab initio*, DFT)
- approximated by a formula ("force field", "potential", "model", ...) force field: $E_{pot} = \text{sum of many terms}$ term = function form + parameters for atoms/groups
- combination: QM/MM methods (quantum mechanics/molecular mechanics)

PES and modeling in chemistry

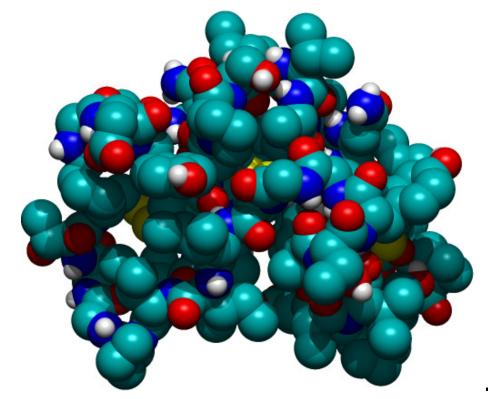
- using classical mechanics:
 - static calculations: minimum of energy, potential around a molecule
 - time development of system (molecular dynamics, MD);
 with ab initio PES = AIMD (demanding!)
 thermodynamic variables by sampling (Monte Carlo, MC)
- using quantum mechanics to nuclei:
 - path integral methods (PI MC, PI MD); with AIMD extremely demanding
 - classical mechanics + quantum corrections

combination force field + classical mechanics = "molecular mechanics" (MM); strictly speaking does not include MC and MD

Molecular mechanics: static approach

We use PES, usually described by a force field

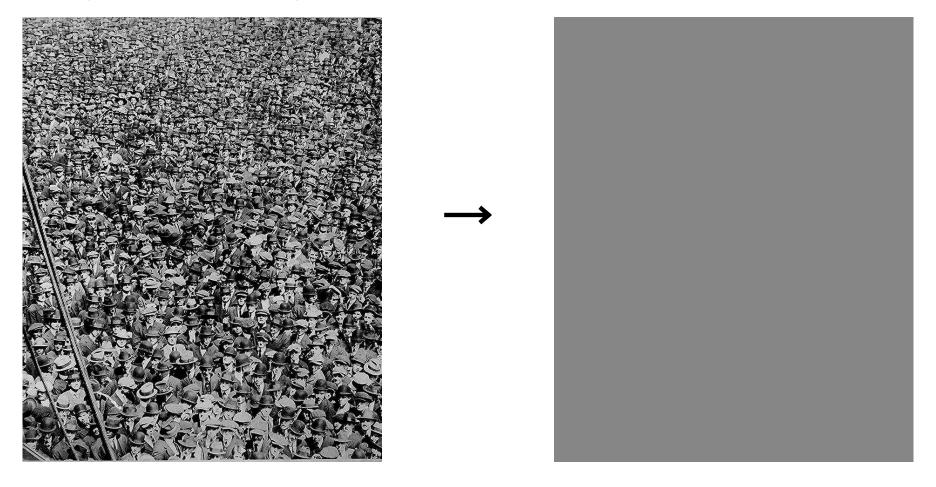
- Energy minimization (T = 0) "molecular mechanics", "structure optimization"
- Refinement more accurate structure (from diffraction data)
- Biochemistry: molecular shape (lock and key), hydrophillic/hydrophobic
- QSAR (Quantitative Structure—Activity Relationship) descriptors



... but what about **motion**?

What is "motion"?

- "Real" motion of molecules in time
- All possible configurations averaged in time:



Statistical thermodynamics calculates quantities (boiling point, ligand-receptor affinity, ...) based on the idea of a (macro)state of a system as an "average" of all possible configurations

Molecular simulations

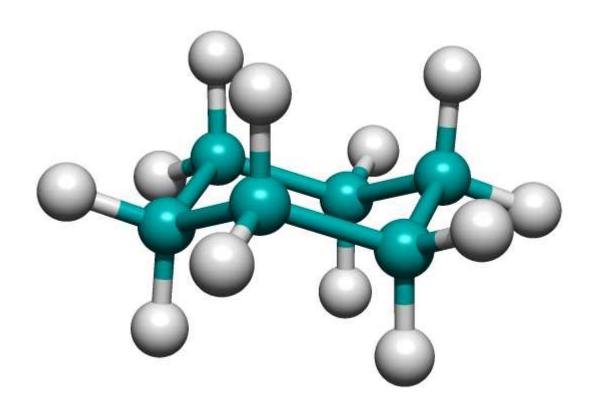
- molecular dynamics (MD)
 - time development of a system composed of many molecules
 - instantaneous forces acting on atoms cause their motion
- Monte Carlo (MC); more precisely: Metropolis method and its variants
 - a sequence of configurations of the system is generated using random numbers
 - an attempt is made to move a molecule (randomly with a certain distribution)
 - this trial move is accepted or rejected so that its probability is the same as in real system
- kinetic Monte Carlo
 - the simulated process is divided into elementary events (e.g., adsorption of an atom on a growing crystal, catalytical reaction)
 - the event to happen is chosen according to a known probability
- quantum simulations MD, MC
- Las Vegas algorithms deterministic result (random pivot, search for minimum)

What can be studied

- Liquids:
 - how structure affects properties (anomalies of water), solutions
 - phase equilibria, solubility
 - surfaces, interfaces, surfactants
- Solids:
 - crystal structure, materials (defects)
 - adsorption (zeolites)
- Biochemistry:
 - proteins, nucleic acids, ion channels, lipid membranes
- Nanoobjects:
 - micelles, polymers, self-assembly (coarse-grained models, lattices)
- Similar methods can be used for:
 - granular materials, optimization, spreading of epidemics, active matter, agent-based models, evo-devo (evolutionary developmental biology)...

*s*00/2

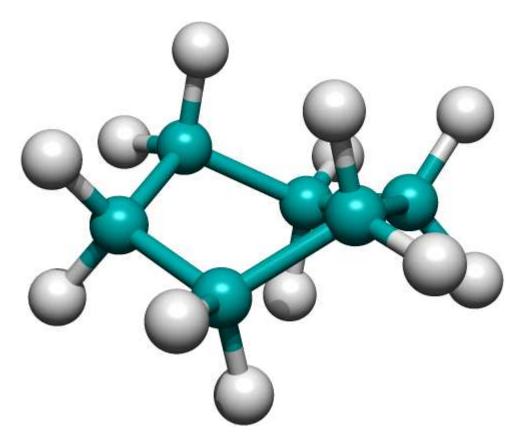
Structure optimization (example of molecular mechanics)



chair

experiment: 28 kJ/mol

model: 26 kJ/mol



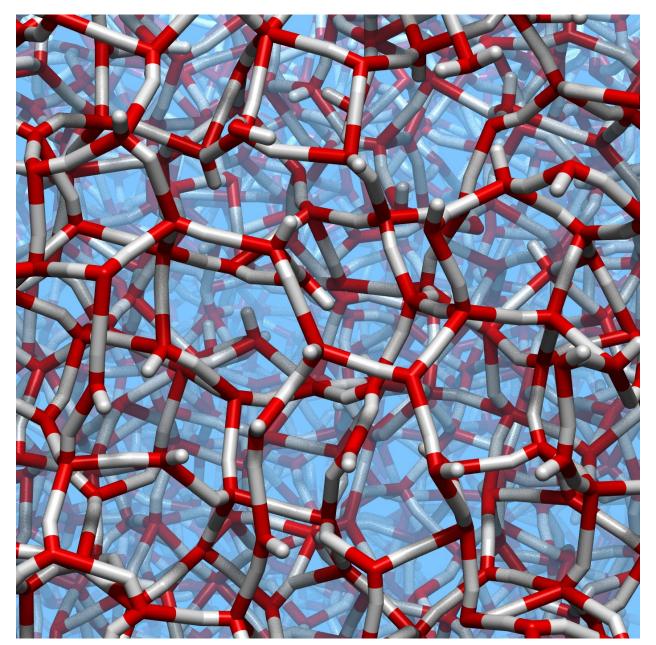
twist (skew) boat

experiment: 45 kJ/mol

model: 53 kJ/mol

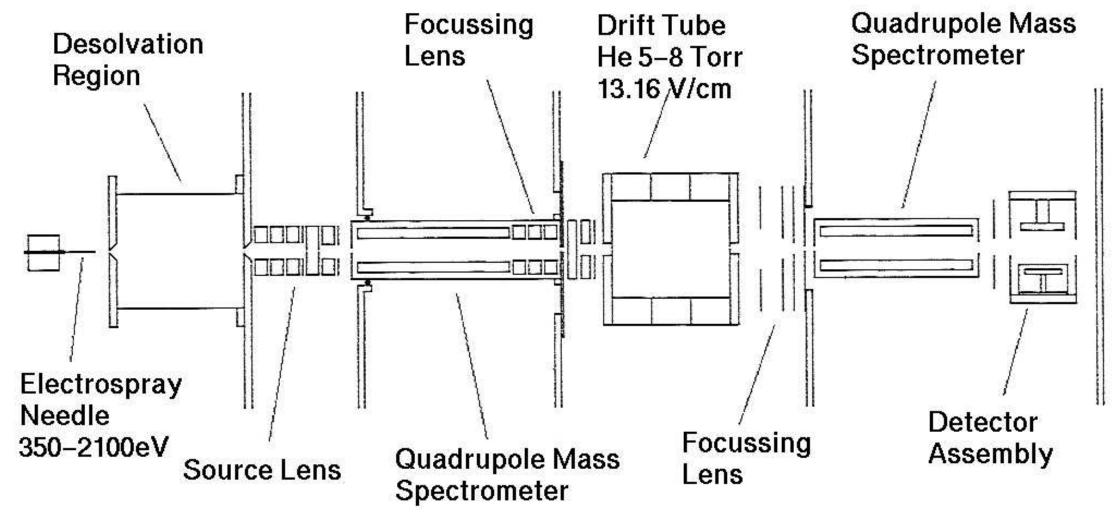
Liquid water (example of equilibrium molecular dynamics)

- 10000 molecules
- 300 K
- \bigcirc periodic in x, y
- adhesive pad
- nonadhesive lid



Electrospray of Cytochrome C

- Electrospray: spray of charged aerosol
- Cross section is determined



Yi Mao, J. Woenckhaus, J. Kolafa, M. A. Ratner, M. F. Jarrold: *J. Am. Chem. Soc.* **121**, 2712–2721 (1999)

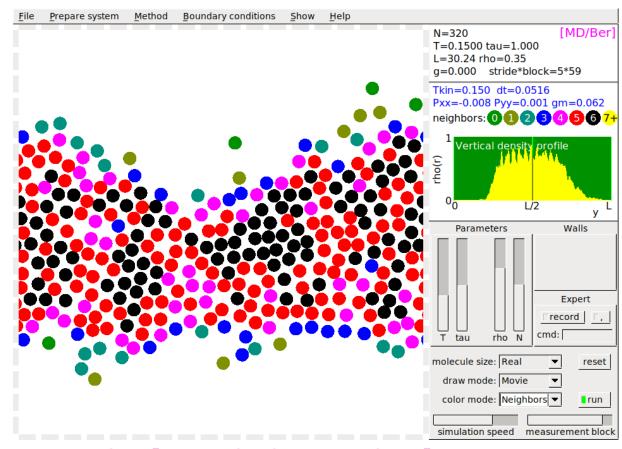
SIMOLANT

Features:

- 2D "atoms" with a Lennard-Jones type potential (8–4)
- repulsive/attractive walls, gravity
- MC and MD
- constant energy and thermostat

Phenomena:

- condensation of vapor
- freezing of a droplet
- crystal defects
- capilary action
- gas in a gravitational field
- vapor-liquid equilibrium
- nucleation

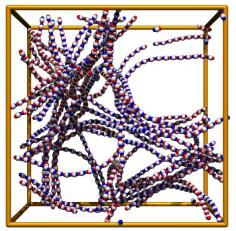


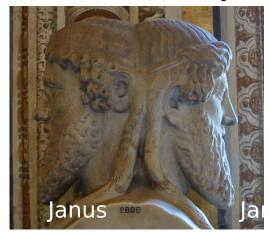
Install SIMOLANT: http://old.vscht.cz/fch/software/simolant/index-en.html

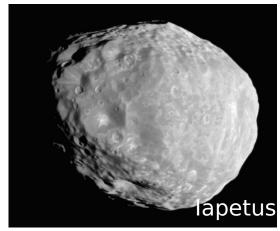
Self-assembly (primitive example)

Supramolecular chemistry: assembling molecules using noncovalent forces (van der Waals, hydrogen bonds) to higher structural elements

Show: bivalent particles in a solution ≈ "Janus particles"



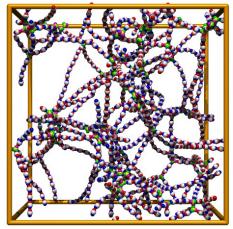


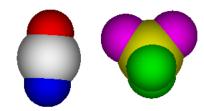


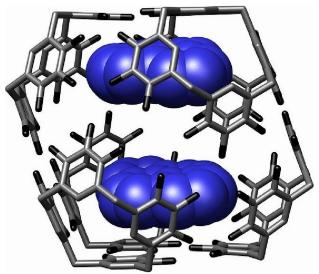


credit: wikipedie, www.nasa.gov/mission_pages/cassini

Show: + tetratetravalent particles



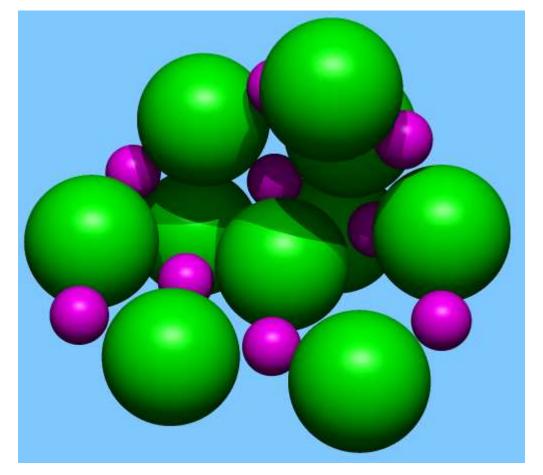




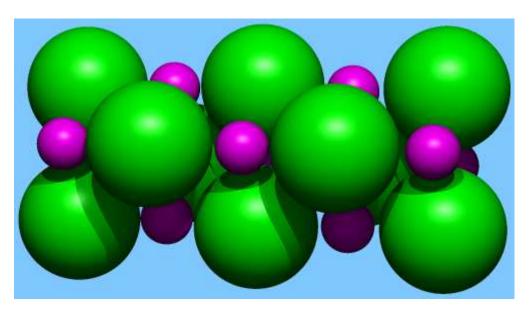
credit: Atwood et al., Science 309, 2037 (2005)

How to get energy minimum (simulated annealing)

Minimum energy of (a model of) Na₁₀Cl₁₀ cluster



fast cooling (quenching)



slow cooling (annealing)

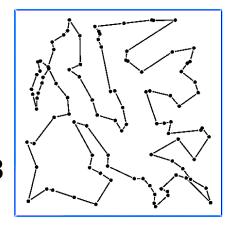
We are looking for the **global minimum** of function $U(A_i)$ (with many local minima)

- Onfiguration changes $A_i \rightarrow A_j$
- Metropolis MC simulation while decreasing "temperature" T

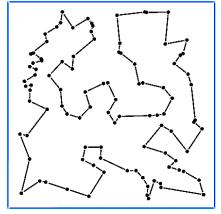
Example: Traveling salesman problem

- 100 cities randomly in square 1 x 1
- Configuration = sequence of cities
- \bigcirc U = path length
- Configuration change = interchange of 2 randomly chosen cities

"greedy" (Metropolis T = 0) l = 8.5778



simulated annealing l = 7.6663

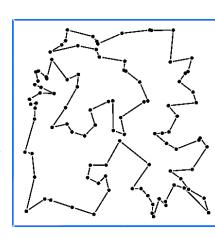


genetic algorithm l = 8.1817

for me (uvodsim/salesman.sh):

numerical results in the console

random start



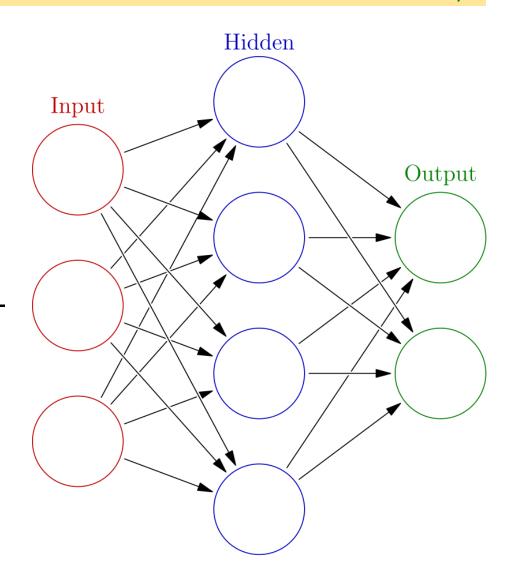
Genetic algorithms (evolutionary programming)	+	16/23 s00/2
The function to maximize is called here "fitness"	0	0000
Configuration → individual → genom = chromosome = list of alleles ("column of numbers")	1 2	0001 0011
initial (e.g., random) population	3	0010
 next generation: kill the least fit individuals copying (parthenogenesis) with a mutation breeding from two parents with crossover 	4 5 6	0110 0111 0101
	7 8	0100 1100
Numbers are coded by a Gray code (consecutive integers differ by one bit)	9	1101
Application: - logistics, economy, control of processes - biochemistry – protein folding - electronics – circuit design, antena shape - algorithm design	10 11	1111 1110
		1010
	13 14	1011 1001
	15	1000

Artificial neural networks

 $+\frac{17/23}{500/2}$

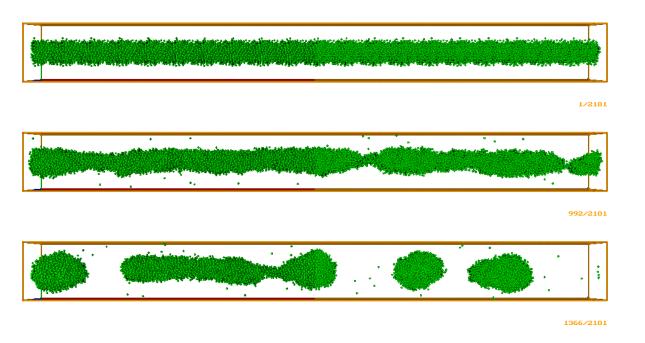
- several layers
- discrete or continuous signal
- \bigcirc usually \rightarrow , rarely with feedback
- nonlinear activation function (sigmoid)
- weights for input mixing are adjustable

learning = determining the weights using a training set (optimization)



(Plateau-)Rayleigh instability

A stream of water splits into droplets. Instability for kr < 1 (for perturbation $\propto \sin(kz)$), max. instability for $kr = \ln 2$.



NB: " \propto " = "is proportional to"

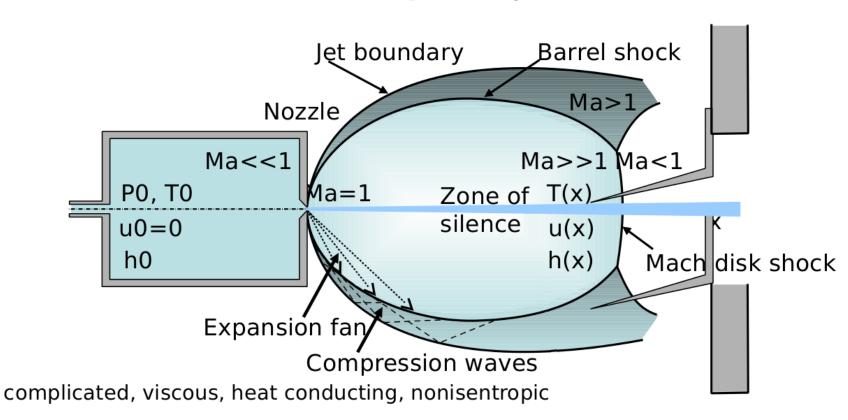


Nucleation at supersonic expansion

Water vapor (about 150 °C and 5 bar) expands through a small (100 μ m) nozzle to a vacuum. It cools adiabatically below freezing point.

Motivation: stratospheric physical chemistry.

Free Jet Expansion



credit: M. Fárník

Question: what is the shape and structure of ice clusters?

J. Klíma, J. Kolafa: *J. Chem. Theory Comput.* **14**, 2332–2340 (2018)

Melting of nanoparticles

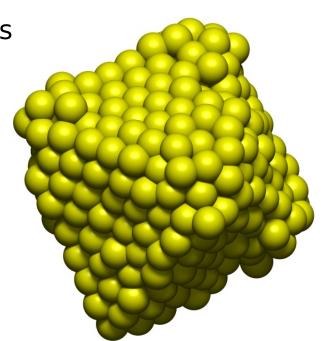
Ice

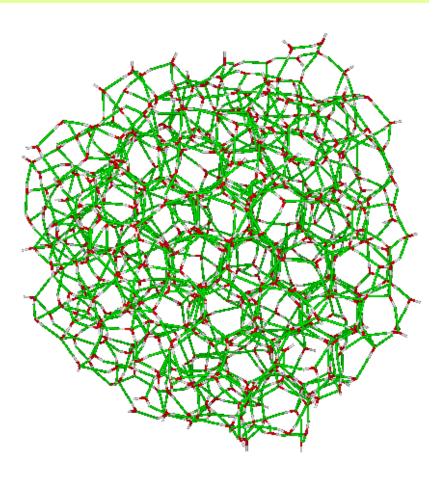
- hail of 600 water molecules (ice Ih)
- gradual heating
- simulation time = 5 ns
- this model of water melts at 250 K

Gold

- nanocrystal of 489 gold atoms
- gradual heating
- \bigcirc simulation time = 77 ps

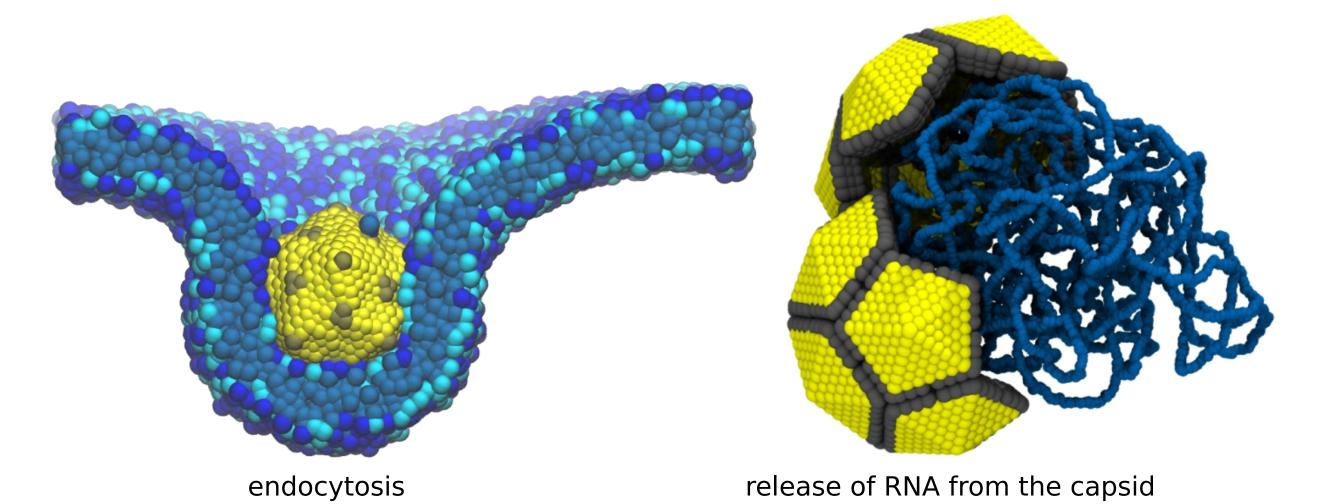
the melting point
of nanoparticles
is lower than in the bulk





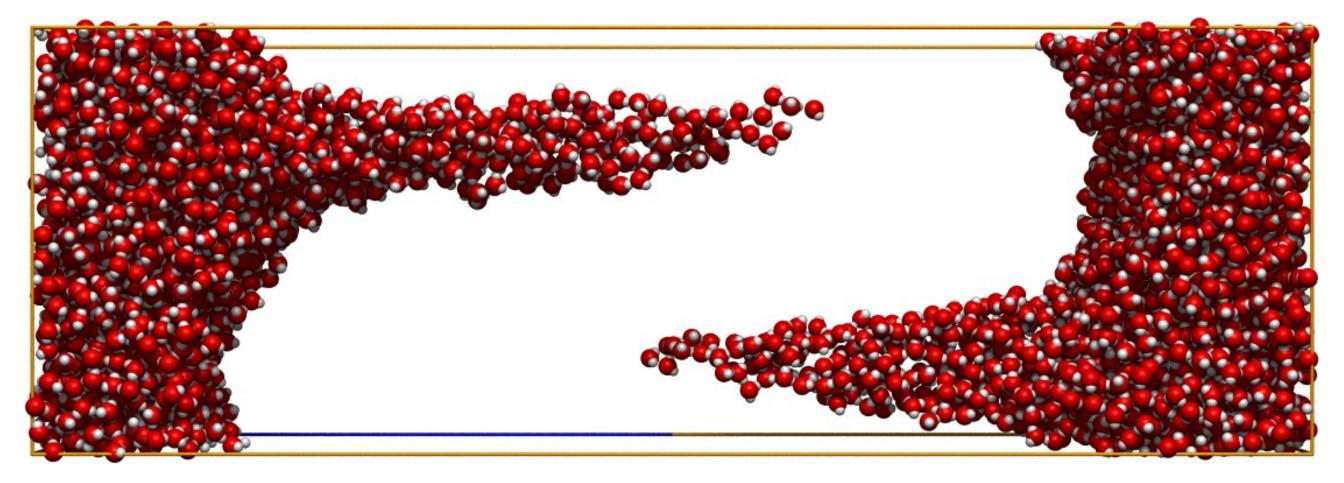
Coarse-grained simulations

- Coarse-grained model, Langevin thermostat (random forces)
- Water not shown



Courtesy: © Robert Vácha (CEITEC)

- 5000 SPC/E water molecules, field 1.5 V/nm, simulation time 135 ps
- electrospinning starts by the "Taylor cone"
- the tip elongates and produces a jet stabilized by electric field



Jan Jirsák, Filip Moučka, Ivo Nezbeda: Ind. Eng. Chem. Res. 53, 8257–8264 (2014)

[showvid /home/jiri/macsimus/ray/dogrun/dogrun.vid]_{23/23} End of introduction – real lecture ahead...

