















Relative volume [94, / recion]	$\stackrel{10}{=} \underbrace{-}_{1} \underbrace$	3
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Theory 12 – Stokes equation					
Modified Stokes equation for circular disks:					
		$D_{M} = \sqrt{\frac{24\eta V R}{\pi(\rho_{s} - \rho_{L}) g}}$			
(dynamic shear viscosity η , steady-state settling velocity V, density of solid particles ρ_s and liquid ρ_L , gravitational acceleration g , (equivalent) disk diameter D_M and aspect ratio R) Derivation of the Stokes equation via force equilibrium:					
		$\sum F = F_{\scriptscriptstyle B} - F_{\scriptscriptstyle G} + F_{\scriptscriptstyle R} = 0$			
	$F_B = \frac{\pi}{4} \cdot \frac{D_M^3}{R} \rho_L g$	$F_G = \frac{\pi}{4} \cdot \frac{D_M^3}{R} \rho_S g$	$F_{Rrandom} \approx 6 \eta V D_M$		
	lift force (buoyancy)	gravitational force	resistance force		
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Theory	<u> 18 – Aspect ra</u>	atio fo	<u>rmulae</u>	
Our simple aspect ratio formula for spheroids in random orientation, $R = \pi \cdot \left(\frac{D_L}{D_s}\right)^2$				
can be considered as an approximation of the exact solution given by Jennings and Parslow (1988),				
	$\frac{D_s}{D_L} = \sqrt{\frac{2R \arctan \sqrt{(R^2)}}{R\sqrt{(R^2 - 1)} + \ln[R + \sqrt{R^2}]}}$	$\frac{(-1)}{(R^2 - 1)}$		
JENNINGS & PARSLOW: Proc. Roy. Soc. London 419, 137 (1988)				
because for	r large aspect ratios	$R \rightarrow \infty$	we have	
$\sqrt{\left(R^2-1\right)} \approx R$	$\frac{D_s}{D_L} = \sqrt{\frac{2R \arctan R}{R^2 + \ln 2R}} \qquad \ln 2$	$2R \ll R^2$	$\arctan R \approx \pi/2$	
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